

Sometimes the quadratic formula will give you complex solutions that you cannot find by graphing or factoring. Find the complex solutions.

$$-2x^2 = 4x + 3$$

$$-2x^2 - 4x - 3 = 0$$

$$x = \frac{4 \pm \sqrt{4^2 - 4(-2)(-3)}}{2(-2)}$$

$$x = \frac{4 \pm \sqrt{16 - 24}}{-4}$$

$$x = \frac{4 \pm \sqrt{-8}}{-4}$$

$$x = \frac{4 \pm 2i\sqrt{2}}{-4}$$

$$\frac{4}{-4} \pm \frac{2i\sqrt{2}}{-4}$$

$$-1 \pm \frac{i\sqrt{2}}{-2}$$

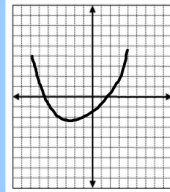
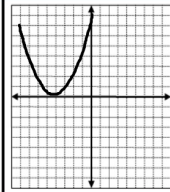
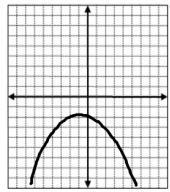
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$$3x^2 + 2x = -4$$

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$$2x^2 + 8 = 7x$$

Quadratic equations can have real or complex solutions. You can determine the type and number of solutions by finding the discriminant. The discriminant of a quadratic equation in standard form is the value of the expression $b^2 - 4ac$

Value of discriminant:	positive	zero	negative
Types and number of solutions:	2 real	1 real	2 imaginary
Example of graphs:			

Evaluate the discriminant of each equation. Tell how many solutions each equation has and whether the solutions are real or imaginary.

$$x^2 + 6x + 9 = 0$$

$$b^2 - 4(1)(9)$$

$$36 - 36 = 0$$

1 real

$$x^2 + 6x + 10 = 0$$

$$b^2 - 4(1)(10)$$

$$36 - 40$$

$$-4$$

2 imag.

$$x^2 - 4x - 5 = 0$$

$$b^2 - 4(1)(-5)$$

$$16 + 20$$

$$36$$

2 real

Page 9

A player throws a ball up and toward a wall that is 17 feet high. The height h in feet of the ball t seconds after it leaves the player's hand is modeled by $h = -16t^2 + 25t + 6$. If the ball makes it to where the wall is, will it go over the wall or hit the wall?

$$25^2 - 4(-16)(6)$$

$$625 +$$

positive

go over wall



Page 10

homework:

page 289 # 3-66 x 3 skip # 54, 57 and 60

Page 11